

SCIENCE SCENE

A person's maximum heart rate depends on a person's age. The relationship can be written as $y = 220 - x$, where y represents the person's maximum heart rate and x represents the person's age.

- Use the equation to determine your maximum heart rate.

Answers vary depending on your age

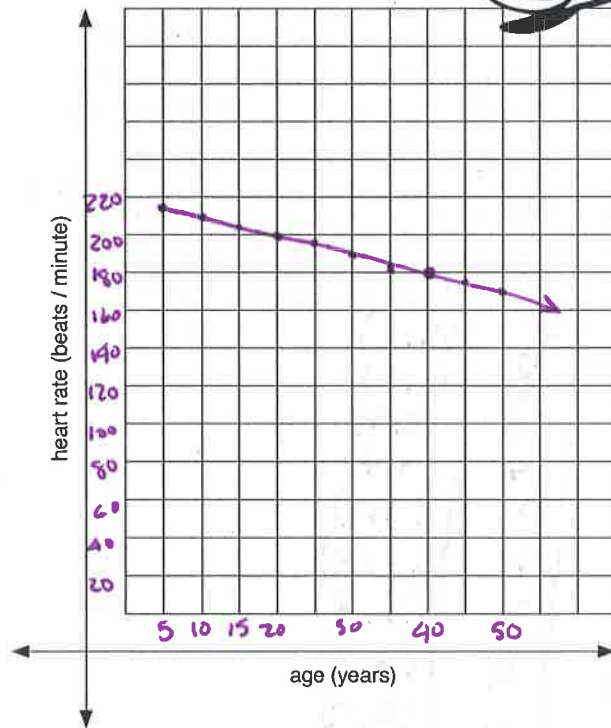
- How will the maximum heart rate of an older person differ from that of a teenager? Explain and use examples.

An older person's maximum heart rate is less than a teenager's. For example a ~~grandmother~~ grandmother who is 80 yrs old has a max heart rate of 140 and a 15 year old has a maximum heart rate of 205



- Complete the chart below. Then graph the (x, y) coordinates.

Person's Age (x)	$220-x$	y	(x, y)
5	215	215	(5, 215)
10	$220-10$	210	(10, 210)
15	$220-15$	205	(15, 205)
20	$220-20$	200	(20, 200)
25	$220-25$	195	(25, 195)
30	$220-30$	190	(30, 190)
35	$220-35$	185	(35, 185)
40	$220-40$	180	(40, 180)
45	$220-45$	175	(45, 175)
50	$220-50$	170	(50, 170)



- Connect the points. Describe the relationship between age and maximum heart rate when exercising.

The relationship is linear and has a negative slope.

Albert graphed a linear equation to show how much weight he is losing during his spring training workout for football. In the equation, y equals the ounces he is losing and x is the hours he is spending exercising during the week.

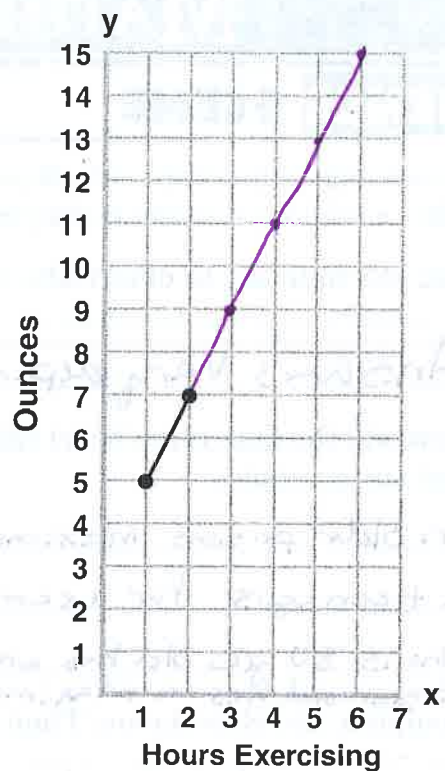
The equation is $y = 2(x) + 3$.

1. Substitute the numbers 1, 2, 3, 4, 5, and 6 for x in the equation and graph the results. The first 2 are graphed for you.
2. Does the equation produce a straight line on the graph?

Yes.

x	y
1	$2(1) + 3 = 5$
2	$2 \cdot 2 + 3 = 7$
3	$2 \cdot 3 + 3 = 9$
4	$2 \cdot 4 + 3 = 11$
5	$2 \cdot 5 + 3 = 13$

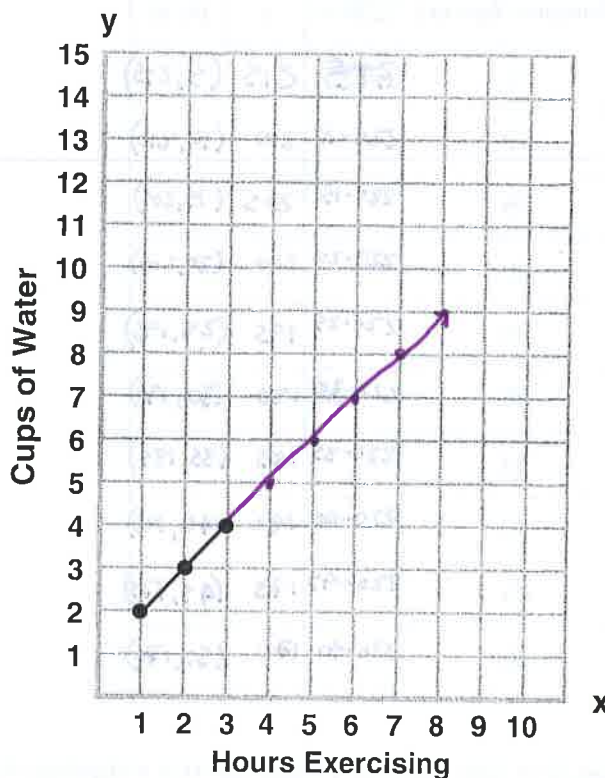
x	y
6	$2 \cdot 6 + 3 = 15$



Albert produced the equation $y = x + 1$ for the graph to the right to show the number of cups of water he was drinking during and after exercise over the course of a week.

Substitute the numbers 1, 2, 3, 4, 5, 6, 7, 8, 9, and 10 for x in the equation and graph the results. The first 3 are graphed for you.

x	$x+1$	y	(x, y)
1	$1+1$	2	(1, 2)
2	$2+1$	3	(2, 3)
3	$3+1$	4	(3, 4)
4	$4+1$	5	(4, 5)
5	$5+1$	6	(5, 6)
6	$6+1$	7	(6, 7)
7	$7+1$	8	(7, 8)
8	$8+1$	9	(8, 9)



• Which situation has a steeper slope?

The first one. Its slope is 2 while the slope of the second is 1.

• What does that mean?

That means the slope of the first graph is greater than the slope of the second. $2 > 1$

Name: _____

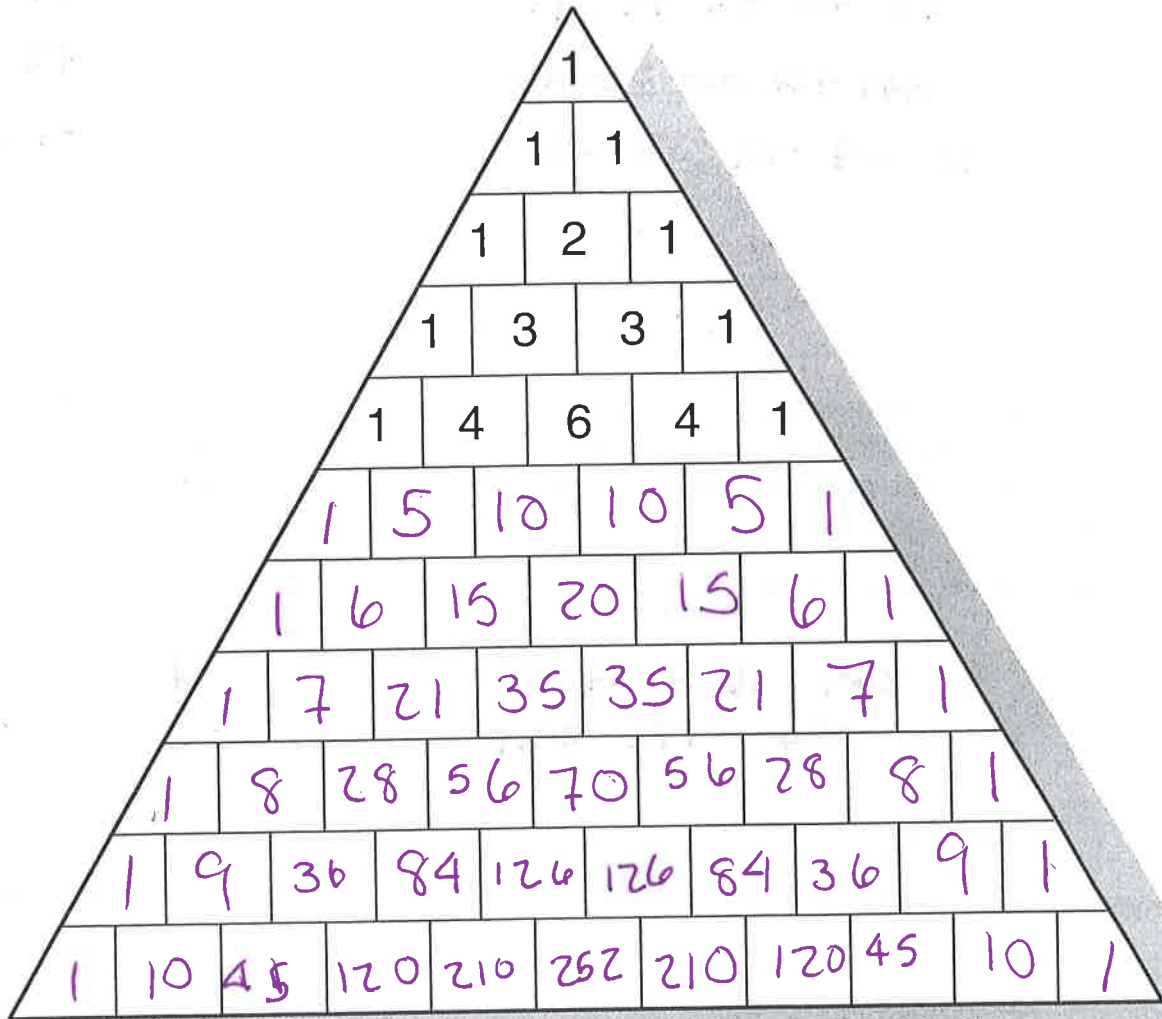
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Continue the patterns

Level: 5 6 7 8

Pascal's Triangle

Directions: Follow the pattern to complete the next six rows in Pascal's* Triangle.



Describe at least one pattern you found in Pascal's Triangle.

The outside always has 1
The 2nd box in from each side counts up by 1's
To get the next box find the sum of the two above it.
Every other row has 2 of the same number in the center.

* Blaise Pascal was a French scientist, philosopher, and mathematical prodigy. His contributions to mathematics include: the formulation of probability theory, the development of differential calculus, as well as Pascal's Law and Pascal's Triangle.

In the **arithmetic sequence** $\{ 5, 11, 17, 23, 29, \dots \}$ each number is obtained from the previous number by adding the same number, in this case 6, which is called the **common difference**.

Directions: Write the next five terms and the common difference for each of the following arithmetic sequences.

- A. 3, 15, 27, 39, 51, 63, 75, 87, 99, 111 Common difference = 12
- B. 37, 115, 193, 271, 349, 427, 505, 583, 661 Common difference = 78
- C. 81, 64, 47, 30, 13, -4, -21, -38, -55 Common difference = -17

In a **geometric sequence**, each number is obtained by multiplying the previous number by a common ratio. Can you find the common multiplier in the following sequence? $\{ 3, 15, 75, 375, \dots \}$ Clearly, the next number in the sequence is 1875, since the common ratio is the number five.

Directions: Find the common ratio and the next three numbers for each geometric sequence below:

- A. 1, 7, 49, 343, 2401, 16807, 117649 Common ratio = 7
- B. 4, -12, 36, -108, 324, -972, 2916 Common ratio = -3

The second geometric sequence above is called an **alternating sequence** because it changes its sign, alternating between positive and negative, since the common multiplier is a negative number. The common ratio may also be a fraction with an absolute value less than one.

Directions: Repeat the exercise above for the following geometric sequences:

- C. 243, 81, 27, 9, 3, 1, $\frac{1}{3}$ Common ratio = $\frac{1}{3}$
- D. -32, 8, -2, $\frac{1}{2}$, $-\frac{1}{8}$, $\frac{1}{32}$, $-\frac{1}{128}$ Common ratio = $-\frac{1}{4}$

• Also know about growing tile patterns and how to determine if they show an arithmetic, geometric or neither sequence